| <u> Revision Sheet - Trig</u> | <u>Review: Fri 5/10/18</u> | | | |
|---|--|--|--|--|
| Q1. A safety regulation states that | Q2. A voltmeter's pointer is 6cm in length. Find, in | | | |
| the maximum angle of elevation for a | radians, the angle through which it rotates when it | | | |
| rescue ladder is 72°. A fire | moves 2.5cm on the scale. | | | |
| department's longest ladder is 110 | 2.500 | | | |
| feet. What is the maximum safe | 1 million | | | |
| rescue height? | 1 | | | |
| - | | | | |
| Q3. To approximate the length of a | <u>Q4.</u> ced is a triangle on horizontal ground. abcd is a | | | |
| marsh, a surveyor walks 380m from | vertical rectangular wall. bc = 25cm, < abe = 43°, < | | | |
| point A to point B. Then the surveyor | aeb = 75° and < bec = 14°. | | | |
| turns 80° and walks 240m to point C. | b (420) a | | | |
| Approximate the length AC of the | 25cm , 73 | | | |
| marsh. Ans: | c d | | | |
| 78000 B | λ i | | | |
| 2492 | 14 75% | | | |
| CR | | | | |
| A | e | | | |
| | Find < aed correct to the nearest degree. | | | |
| <u>Q5.</u> ABC is a triangle with < BCA = | <u>Q6.</u> Find the values of X for which | | | |
| 120°. AC = 3 and BC = 6. D is a | $\cos X = -\frac{1}{\sqrt{2}}$ where $0 \le X \le 360^{\circ}$. | | | |
| point on [AB] such that the area of | Q7 . Solve the equation $\sin 2x = -\frac{\sqrt{3}}{2}$, where x is in | | | |
| the triangle ADC is equal to the area | degrees and $x \in R$. | | | |
| of triangle BCD. Find < DCA . | | | | |
| 3 | <u>Q8.</u> Solve the equation $\sin 4\theta = 0.9848$ giving all the | | | |
| 3 1200 6 | solutions, to the nearest degree, for $0^{\circ} \le \theta \le 360^{\circ}$. | | | |
| A | <u>Q9.</u> Write $\tan^2 30 + \sin^2 60$ in surd form. | | | |
| | O11. To the deal as the in the discourse the one is | | | |
| Q10. In the diagram below YX = | Q11. In the shaded sector in the diagram, the arc is | | | |
| XD , <exd 58°.="" =="" is<="" td="" yd=""><td colspan="3">6cm long, and the angle of the sector is 0.75 radians.</td></exd > | 6cm long, and the angle of the sector is 0.75 radians. | | | |
| perpendicular to DE. If $A = \langle EYD $, | Find the area of the sector. | | | |
| (i) show that $\tan A = \frac{1}{2} \tan 58^\circ$, (ii) | | | | |
| calculate the angle A correct to the | | | | |
| nearest degree, (iii) if XE = 50cm, | | | | |
| calculate YE . | 6 | | | |
| LE LE | | | | |
| | | | | |
| | | | | |
| | | | | |
| A 58° J D | | | | |
| X X D | | | | |

Answers:

| <u>Q1.</u> 104.6ft | <u>Q2.</u> $\frac{5\pi}{12}$ | <u>Q3.</u> 483.3m | <u>Q4.</u> 18° | <u>Q5.</u> 90° | <u>Q6.</u> 135°,225° |
|--|------------------------------|---|----------------|----------------|----------------------|
| Q7. $x = 120 + 180n\pi, 150 + 180n$ | | <u>Q8.</u> 20°, 25°, 110°, 115°, 200°, 205°, 290°, 295° | | | |
| <u>Q9. $\frac{13}{12}$ Q10.</u> (ii) 39° (iii) 64.7cm | | <u>Q11.</u> 24cm ² | | | |